## Bilinear Filtering

Recall that the blend equation was:

$$
\text { Cnew }=\mathrm{Ca} * \mathrm{f}+\mathrm{Cb} *(1-\mathrm{f})
$$

Where $\mathrm{Ca}, \mathrm{Cb}$ were two 8 -bit colors, and Cnew was a blend of these two colors using the blend factor ' $f$ ' (a 9-bit value).

A similar operation is performed when a texture is mapped onto an object in 3D graphics, except that 2 blend factors and four colors are used:
$\mathrm{T}_{\text {new }}=(1-\mathrm{v}) *(1-\mathrm{u}) * \mathrm{~T}_{00}+(1-\mathrm{v}) * \mathrm{u}^{*} \mathrm{~T}_{01}+\mathrm{v}^{*}(1-\mathrm{u}) * \mathrm{~T}_{10}+\mathrm{u}^{*} \mathrm{v}^{*} \mathrm{~T}_{11}$
$\mathrm{T}_{00}, \mathrm{~T}_{01}, \mathrm{~T}_{01}, \mathrm{~T}_{11}$ are 8-bit color values as before, with two 9-bit factors $v, u$ used to determine $T_{\text {new }}$.

9/30/2002 BR 1

## The Problem

- Implement a datapath + FSM that computes $8 T_{\text {new }}$ values from $32 \mathrm{~T}_{\mathrm{xx}}$ values stored in a RAM for fixed values of u , v.
- Will use a minimum resource approach - only 1 multiplier, 1 adder.
- Note that 8 multiplies and 3 adds are required to implement the bilinear filter equation
- You will be provided with a datapath
- You must schedule the operations on the datapath
- Write an ASM chart that implements the schedule
- Implement the FSM for the datapath and test your design


## How to Compute $\mathrm{T}_{\text {new }}$ ?

- The Sync RAM holds the values for $\mathrm{T}_{\mathrm{xx}}$
- Each calculation of Tnew requires 4 values from the Sync Ram
- Each 4-tuple stored in order of T00, T01, T10, T11
- Sync Ram has 32 locations, so $8 \mathrm{~T}_{\text {new }}$ calculations
- Each calculation of $T x x * u|1-u * v| 1-v$ requires:
- $1^{\text {st }}$ multiply: Txx (from Sync Ram) * v|1-v (use $4 / 1$ mux to select appropriate v or $1-\mathrm{v}$ ). Store result in mult reg.
$-2^{\text {nd }}$ multiply: compute mult reg $* \mathrm{u} \mid 1-\mathrm{u}$. Use the mult feedback path and mult muxes to select proper operands
- The saturating adder + accumulator register is used to accumulate the result.


## Bilinear Filtering (cont)

We will use 9 -bits to represent $u$, $v$ as with the blend equation in order to represent 1.0 accurately.

Sample calculations:
$\mathrm{u}=1.0, \mathrm{v}=1.0$, then Tnew $=\mathrm{T}_{11}$
$\mathrm{u}=0.0, \mathrm{v}=1.0$, then Tnew $=\mathrm{T}_{10}$
$\mathrm{u}=1.0, \mathrm{v}=0.0$, then Tnew $=\mathrm{T}_{01}$
$\mathrm{u}=0.0, \mathrm{v}=0.0$, then Tnew $=\mathrm{T}_{00}$
$u=0.5, v=0.5$ then
Tnew $=0.25 * \mathrm{~T}_{00}+0.25 * \mathrm{~T}_{01}+0.25 * \mathrm{~T}_{10}+0.25 * \mathrm{~T}_{11}$

9/30/2002
BR 2


Step 1: $1-\mathrm{v} * \mathrm{~T}_{00}$ (active paths shown in RED)


Step 2: 1-u * mult_reg (active paths shown in RED)


9/30/2002 BR

Step 3: Mult reg $=(1-\mathrm{u})(1-\mathrm{v}) * \mathrm{~T}_{00}$, store in Acc reg Compute (1-v) * $\mathrm{T}_{01}$ (in Sync Ram)


Step 5: $\quad$ Mult reg $=(u)(1-v) * T_{01}$, add to Acc reg
Compute $\mathrm{v}^{*} \mathrm{~T}_{10}$ (in Sync Ram)


Etc, etc... The rest of the steps are left up to you.

## Datapath - bifilt.gdf

- The ZIP archive contains a datapath (bifilt.gdf) that you can use.
- Cannot change the interface signals (inputs/outputs) or their functionality
- Cannot change number of multipliers (1) or satadds (1), or size of sync SRAM (32 locations)
- Make any other changes that you want
- Your datapath + FSM has to compute 8 values of $T_{\text {new }}$ in 100 clock cycles (this constraint is easy to meet)
- If your number of clock cycles matches or is less than the number of clock cycles in the golden waveform, then you will get 10 points added to any test grade.
- You will have to add a FSM to bifilt.gdf to complete the functionality
- The exact number of states and the sequencing of datapath operations is up to you.
- You cannot use more than 16 states in your FSM.

9/30/2002
BR

## Datapath - bifilt.gdf Interface

- Inputs
- Clk, reset : clock and asynchronous reset
- addr[5..0] : drives address bus to SRAM when datapath is not in operation
- din[8..0] : 9-bit input bus used to initialized u_reg, v_reg, SRAM contents
- $\quad l d \_u v$ : when asserted, then writing to $v_{-}$reg (addr0 $=$' 0 ') or $u_{-}$reg (adत̄r0 $=$ ' 1 ')
- we: when asserted, writing to SRAM using addr, din. Assume only asserted if datapath if not in operation
- start: when asserted, start bifilt operation starting at SRAM location 0 and processing all 32 values in SRAM.
- SRAM, u_reg, v_reg are initialized externally to FSM control.


## Datapath - bifilt.gdf Interface (cont)

- Outputs
- busy: asserted for duration of bifiltering operation
- o_rdy: asserted when dout bus contains Tnew value
- dout[7..0] : 8-bit output bus for Tnew value
- It is very important that $o \_r d y$ only be asserted when dout bus contains a valid value for Tnew.
- When o_rdy is negated, the value dout is undefined
- Will depend on your particular implementation


## Other Comments on bifilt.gdf

- The RAM is synchronous - registered Address, Control, Data
- You cannot change this because external testbench expects this operation
- A counter is included in the datapath to drive the address lines during the bifiltering operation
- The golden waveform is bifilt_gold.scf
- Loads the SRAM with 32 values
- Then tests all of the sample calculations shown on slide \#2 plus one more


## The Next Assignment

- This lab is worth 200 pts and is the first part of a 2-part series
- In the next part, you will be able to add more multipliers/satadders to reduce the number of clocks
- Single SRAM is still a constraint
- Interface does not change
- You will have to change the datapath and your FSM
$-2^{\text {nd }}$ part is also worth 200 pts
- Includes an XOR-checksum that will checksum all values on dout when o_rdy is asserted
- you can use this as a quick check - if your checksum matches the golden checksum then your design is functional


## A Guaranteed Way to get a 0 for both labs and perhaps wreck your lab grade

- Don't do anything the first week.
- Show up for lab in week \#1 not even having though about the first part.
- Now you have only 2 weeks to complete two tough labs
- In week \#2, won't have first part working and understanding the first part is the key to performing the second part
- You madly try to finish the $2^{\text {nd }}$ part in week \#3 but are clueless, so at the end of the 3 weeks you have $0 / 400$ pts.
- Total lab points for first 5 labs $=600 \mathrm{pts}$, so lab average is $600 / 1000=60 \%$ (assuming perfect scores on first 5 labs).
- Remember that you must have at least a $60 \%$ on all out of class material to pass the course.

